# Exploiting Preference Rules for Querying Databases 

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## Motivations




Expressing preferences on alternative scenarios is natural

## Information Filtering and Extraction

## Main Idea

- We answer to queries by deriving only supported and preferred information

DB: \{ beef, red-wine, white-wine \}
$P:\{$ fruit-salad $\leftarrow$ white-wine,
pie $\leftarrow$ red-wine,
biscuits $\leftarrow$ red-wine \}
$\Phi:\{$ red-wine $>$ white-wine $\leftarrow$ beef, pie $>$ biscuits $\leftarrow\}$

## Main Idea

- We answer to queries by deriving only supported and preferred information

```
DB: \{ beef, red-wine, white-wine \} beef red-wine white-wine
\(P:\{\) fruit-salad \(\leftarrow\) white-wine,
    pie \(\leftarrow\) red-wine,
    biscuits \(\leftarrow\) red-wine \}
\(\Phi:\{\) red-wine \(>\) white-wine \(\leftarrow\) beef,
    pie \(>\) biscuits \(\leftarrow\}\)
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```

beef red-wine
whiteswine

## Main Idea

- We answer to queries by deriving only supported and preferred information

DB: \{ beef, red-wine, white-wine \}
$P:\{$ fruit-salad $\leftarrow$ white-wine, pie $\leftarrow$ red-wine, biscuits $\leftarrow$ red-wine \}


```
Ф: { red-wine > white-wine \leftarrow beef,
    pie > biscuits }\leftarrow
```


## Main Idea

- We answer to queries by deriving only supported and preferred information

DB: \{ beef, red-wine, white-wine \}
$P:\{$ fruit-salad $\leftarrow$ white-wine, pie $\leftarrow$ red-wine, biscuits $\leftarrow$ red-wine \}


```
\Phi: { red-wine > white-wine \leftarrow beef,
    pie > biscuits }\leftarrow
```

Answer=\{ beef, red-wine, pie \}

## Preference Rules

- A preference rule is of the form

$$
A>C \leftarrow B_{1}, \ldots, B_{m}, \text { not } B_{m+1}, \ldots, \operatorname{not} B_{n}, \varphi
$$

- $A$ is preferable to $C$ if the body of the rule is true
- $C$ is dominated by $A$ if the body of the rule is true
red-wine $>$ white-wine $\leftarrow$ beef
beef red-wine white-wine


## Preference Rules

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- $A$ is preferable to $C$ if the body of the rule is true
- $C$ is dominated by $A$ if the body of the rule is true
- dominated atoms cannot be used to infer new information
red-wine $>$ white-wine $\leftarrow$ beef
beef red-wine

white-wine is dominated by red-wine


## Preference Rules

- A preference rule is of the form

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- dominated atoms cannot be used to infer new information

P: \{ fruit-salad $\leftarrow$ white-wine, pie $\leftarrow$ red-wine, beef red-wine
 biscuits $\leftarrow$ red-wine \}

## Preference Rules

- A preference rule is of the form

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A>C \leftarrow B_{1}, \ldots, B_{m}, \operatorname{not} B_{m+1}, \ldots, \operatorname{not} B_{n}, \varphi
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- dominated atoms cannot be used to infer new information

P: \{ fruit-salad $\leftarrow$ white-wine, pie $\leftarrow$ red-wine, biscuits $\leftarrow$ red-wine \} beef red-wine


## Preference Rules

- A preference rule is of the form

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A>C \leftarrow B_{1}, \ldots, B_{m}, \text { not } B_{m+1}, \ldots, \operatorname{not} B_{n}, \varphi
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- dominated atoms cannot be used to infer new information

P: \{ fruit-salad $\leftarrow$ white-wine, pie $\leftarrow$ red-wine, biscuits $\leftarrow$ red-wine \}


## Preferences on Base Atoms

- Preference program $\Phi$

$$
\begin{aligned}
& \Phi:\{ \rho_{1}=\text { beef }>\text { fish } \leftarrow, \\
& \rho_{2}=\text { white-wine }>\text { red-wine } \leftarrow \text { fish }, \\
&\left.\rho_{3}=\text { red-wine }>\text { white-wine } \leftarrow \text { beef }\right\}
\end{aligned}
$$

- intuitively, the evaluation of $\rho_{2}$ and $\rho_{3}$ depends on the evaluation of $\rho_{1}$
- $\Phi$ is layered as follows:

```
Layer 0: { { , }
Layer 1: { }\mp@subsup{\rho}{2}{},\mp@subsup{\rho}{3}{}
```

DB: \{ beef, fish, red-wine, white-wine \}

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- intuitively, the evaluation of $\rho_{2}$ and $\rho_{3}$ depends on the evaluation of $\rho_{1}$
- $\Phi$ is layered as follows:


DB: \{ beef, fish, red-wine, white-wine $\} \quad$ Answer $=\{$ beef, red-wine $\}$

## Preferences on Base Atoms

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\end{aligned}
$$

- intuitively, the evaluation of $\rho_{2}$ and $\rho_{3}$ depends on the evaluation of $\rho_{1}$
- $\Phi$ is layered as follows:

- It is possible to define sufficient conditions which guarantee that the set of preference rules $\Phi$ can be partitioned into layers


## General Preferences

- Preferences on both base and derived atoms
- Stratified semantics
- a program $P$ is partitioned into strata
- preference rules are associated with strata of $P$
- for each stratum of $P$, its preference rules are divided into layers
- P is evaluated by computing one stratum at a time
- for each stratum of $P$, the associated preference rules are applied one layer at a time


## General Preferences

## - (Stratified) Datalog program $P$

$P$ : Lunch $(X) \leftarrow$ Menu $(X)$
Dinner $(X) \leftarrow$ Menu $(X)$, not Lunch $(X)$
Dinner (fruit-salad) $\leftarrow$ Dinner (white-wine)
Dinner (ice-cream) $\leftarrow$ Dinner (white-wine)
Dinner (pie) $\leftarrow$ Dinner (red-wine).

- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch (beef) $>$ Lunch (fish) $\leftarrow$,
$\rho_{2}=$ Lunch (red-wine) $>$ Lunch (white-wine) $\leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=$ Dinner (fruit-salad) $>$ Dinner (ice-cream) $\leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}$ (ice-cream) $>$ Dinner (fruit-salad) $\leftarrow$ Dinner (beef)


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Stratum $\mathrm{S}_{1}$

- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch (beef) $>$ Lunch (fish) $\leftarrow$,
$\rho_{2}=$ Lunch (red-wine) $>$ Lunch (white-wine) $\leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch (white-wine) $>$ Lunch (red-wine) $\leftarrow$ Lunch (fish)
$\rho_{4}=$ Dinner (fruit-salad) $>$ Dinner (ice-cream) $\leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}($ ice-cream $)>$ Dinner $($ fruit-salad $) \leftarrow$ Dinner (beef)


## General Preferences

## - (Stratified) Datalog program $P$

$P$ : Lunch $(X) \leftarrow$ Menu $(X)$

## Stratum $\mathrm{S}_{1}$

Dinner $(X) \leftarrow$ Menu $(X)$, not Lunch (X) Dinner (fruit-salad) $\leftarrow$ Dinner (white-wine) Dinner (ice-cream) $\leftarrow$ Dinner (white-wine) Dinner (pie) $\leftarrow$ Dinner (red-wine).

- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch (beef) $>$ Lunch $($ fish $) \leftarrow$,
$\rho_{2}=$ Lunch $($ red-wine $)>$ Lunch $($ white-wine $) \leftarrow$ Lunch (beef) defined by $\mathrm{S}_{1}$
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=\operatorname{Dinner}($ fruit-salad) $>$ Dinner $($ ice-cream $) \leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}($ ice-cream $)>$ Dinner (fruit-salad) $\leftarrow$ Dinner (beef)


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- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch (beef) $>$ Lunch (fish) $\leftarrow$,
$\rho_{2}=$ Lunch $($ red-wine $)>$ Lunch $($ white-wine $) \leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=\operatorname{Dinner}($ fruit-salad) $>$ Dinner (ice-cream) $\leftarrow \operatorname{Dinner}$ (fish) preferences on atoms
$\rho_{5}=\operatorname{Dinner}($ ice-cream $)>\operatorname{Dinner}\left(\right.$ fruit-salad) $\leftarrow \operatorname{Dinner}$ (beef) defined by $S_{2}$


## General Preferences

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$P$ : Lunch $(X) \leftarrow$ Menu $(X)$
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- Preference program $\Phi$
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$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=$ Dinner $($ fruit-salad $)>$ Dinner (ice-cream) $\leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}$ (ice-cream) $>$ Dinner (fruit-salad) $\leftarrow$ Dinner (beef)
DB: \{ Menu (beef), Menu (fish), Menu (red-wine), Menu (white-wine) \}


## 

## - (Stratified) Datalog program P

$P$ : Lunch $(X) \leftarrow$ Menu $(X)$
Dinner $(X) \leftarrow$ Menu $(X)$, not Lunch (X) Dinner (fruit-salad) $\leftarrow$ Dinner (white-wine) Dinner (ice-cream) $\leftarrow$ Dinner (white-wine) Dinner (pie) $\leftarrow$ Dinner (red-wine).


- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch $($ beef $)>$ Lunch $($ fish $) \leftarrow$,
$\rho_{2}=$ Lunch (red-wine) $>$ Lunch (white-wine) $\leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=$ Dinner $($ fruit-salad $)>$ Dinner (ice-cream) $\leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}$ (ice-cream) $>$ Dinner (fruit-salad) $\leftarrow$ Dinner (beef)
DB: \{ Menu (beef), Menu (fish), Menu (red-wine), Menu (white-wine) \}


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| Menu | beef fish red-wine white-wine |
| :--- | :--- | :--- |
| Lunch | beef |

- Preference program $\Phi$

```
\Phi: }\mp@subsup{\rho}{1}{}=\mathrm{ Lunch (beef) > Lunch (fish) }\leftarrow
    \rho}=\mathrm{ Lunch (red-wine) > Lunch (white-wine) }\leftarrow\mathrm{ Lunch (beef)
    \rho
    Layer 0:{ 的}
    Layer 1: { \rho }\mp@subsup{\rho}{2}{},\mp@subsup{\rho}{3}{}
    \rho}=\mp@code{Dinner (fruit-salad) > Dinner (ice-cream) }\leftarrow\mathrm{ Dinner (fish)
    \rho}=\mp@code{Dinner (ice-cream) > Dinner (fruit-salad) }\leftarrow\mathrm{ Dinner (beef)
```

DB: \{ Menu (beef), Menu (fish), Menu (red-wine), Menu (white-wine) \}

## General Preferences

## - (Stratified) Datalog program P

```
P: Lunch \((X) \leftarrow\) Menu \((X)\)
    Dinner \((X) \leftarrow\) Menu \((X)\), not Lunch \((X)\)
    Dinner (fruit-salad) \(\leftarrow\) Dinner (white-wine)
    Dinner (ice-cream) \(\leftarrow\) Dinner (white-wine)
    Dinner (pie) \(\leftarrow\) Dinner (red-wine).
```

| Menu | beef | fish | red-wine |
| :---: | :---: | :---: | :---: | white-wine

- Preference program $Ф$
$\Phi: \rho_{1}=$ Lunch (beef) $>$ Lunch (fish) $\leftarrow$,
$\rho_{2}=$ Lunch (red-wine) $>$ Lunch (white-wine) $\leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=$ Dinner $($ fruit-salad $)>$ Dinner (ice-cream) $\leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}$ (ice-cream) $>$ Dinner (fruit-salad) $\leftarrow$ Dinner (beef)
DB: \{ Menu (beef), Menu (fish), Menu (red-wine), Menu (white-wine) \}


## General Preferences

## - (Stratified) Datalog program P

$P$ : Lunch $(X) \leftarrow$ Menu $(X)$
Dinner $(X) \leftarrow$ Menu $(X)$, not Lunch $(X)$
Dinner (fruit-salad) $\leftarrow$ Dinner (white-wine) Dinner (ice-cream) $\leftarrow$ Dinner (white-wine) Dinner (pie) $\leftarrow$ Dinner (red-wine).

| Menu | beef fish red-wine | white-wine |  |
| :---: | :---: | :---: | :---: |
| Lunch | beef | red-wine | whit dine |
| Dinner | fish | white-wine |  |
|  | fruit-salad iceseam |  |  |

- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch $($ beef $)>\operatorname{Lunch}($ fish $) \leftarrow$,
$\rho_{2}=$ Lunch (red-wine) $>$ Lunch (white-wine) $\leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=\operatorname{Dinner}($ fruit-salad) $>\operatorname{Dinner}$ (ice-cream) $\leftarrow \operatorname{Dinner}$ (fish)
$\rho_{5}=\operatorname{Dinner}($ ice-cream $)>\operatorname{Dinner}($ fruit-salad) $\leftarrow \operatorname{Dinner}$ (beef)
Layer $0:\left\{\rho_{4}, \rho_{5}\right\}$

DB: \{ Menu (beef), Menu (fish), Menu (red-wine), Menu (white-wine) \}

## 

## - (Stratified) Datalog program P

$P$ : Lunch $(X) \leftarrow$ Menu $(X)$
Dinner $(X) \leftarrow$ Menu $(X)$, not Lunch (X) Dinner (fruit-salad) $\leftarrow$ Dinner (white-wine) Dinner (ice-cream) $\leftarrow$ Dinner (white-wine) Dinner (pie) $\leftarrow$ Dinner (red-wine).

| Menu | beef fish red-wine | white-wine |  |
| :---: | :---: | :---: | :---: |
| Lunch | beef | red-wine | whit dine |
| Dinner | fish | white-wine |  |
|  | fruit-salad | ice eam |  |

- Preference program $\Phi$
$\Phi: \rho_{1}=$ Lunch $($ beef $)>\operatorname{Lunch}($ fish $) \leftarrow$,
$\rho_{2}=$ Lunch (red-wine) $>$ Lunch (white-wine) $\leftarrow$ Lunch (beef)
$\rho_{3}=$ Lunch $($ white-wine $)>$ Lunch $($ red-wine $) \leftarrow$ Lunch (fish)
$\rho_{4}=\operatorname{Dinner}($ fruit-salad) $>$ Dinner (ice-cream) $\leftarrow$ Dinner (fish)
$\rho_{5}=\operatorname{Dinner}$ (ice-cream) $>$ Dinner (fruit-salad) $\leftarrow$ Dinner (beef)
The answer to the prioritized query < Dinner, $\mathrm{P}, \Phi>$ is
\{ Dinner (fish), Dinner (white-wine), Dinner (fruit-salad) \}


## Well-Formed Queries

- A prioritized query $<q, P, \Phi>$ is well-formed if
- $\Phi$ is layered, and
- for each $A>C \leftarrow B_{1}, \ldots, B_{m}$, not $B_{m_{+1}}, \ldots$, not $B_{n}$, it holds that $A, B_{1}, B_{m}$ do not depend on $C$ in $P$

DB: \{ white-wine, red-wine \}
$P:\{$ beef $\leftarrow$ white-wine $\}$
$\Phi:\{$ red-wine $>$ white-wine $\leftarrow$ beef $\}$


## Complexity Result

Let DB be a database and $\mathrm{Q}=<\mathrm{q}, \mathrm{P}, \Phi>$ be a well-formed prioritized query.

The computational complexity of evaluating Q on DB is polynomial time.

## Conclusions

- We have presented prioritized queries
- preferences can be defined on both base and derived atoms
- A stratified semantics for prioritized queries has been introduced
- The computational complexity of evaluating prioritized queries is still polynomial


## Thank you!

...any questions?

15th Italian Symposium on Advanced Database Systems, SEBD 2007
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## backstage

## Layers

- A (ground) preference program $\Phi$ is layered if it is possible to partition $\Phi$ into n layers as follows:
- for each atom $C$ such that there is no rule $A>C \leftarrow B_{1}, \ldots, B_{m}$, not $B_{m+1}, \ldots$, not $B_{n}$, layer $(\mathrm{C})=0$;
- for each atom $C$ such that there is a rule $A>C \leftarrow B_{1}, \ldots, B_{m}$, not $B_{m+1}, \ldots$, not $B_{n}$, $\operatorname{layer}(\mathrm{C})>\max \left\{\operatorname{layer}\left(B_{1}\right), \ldots, \operatorname{layer}\left(B_{n}\right), 0\right\}$ and $\operatorname{layer}(\mathrm{C}) \geq \operatorname{layer}(A)$;
- the layer of a preference rule $A>C \leftarrow B_{1}, \ldots, B_{m}$, not $B_{m+1}, \ldots$, not $B_{n}$, is layer(C);
- Ф[i] consists of all preference rules having layer i
- It is possible to define sufficient conditions which guarantee that the set of preference rules $\Phi$ can be partitioned into layers


## Prioritized query

- A prioritized query is a triplet <q, $P, \Phi\rangle$,
$-q$ is a predicate symbol denoting the output relation,
$-P$ is a (stratified) Datalog program
- $\Phi$ is a preference program


## Well-Formed Queries

- A prioritized query <q, $P, \Phi>$ is well formed if
- the ground transitive closure of $\Phi$ is layered, and
- for each $A>C \leftarrow B_{1}, \ldots, B_{m}$, not $B_{m+1}, \ldots$, not $B_{n}$ it holds that $A, B_{1}, B_{m}$ do not depend on $C$ in $P$

DB: \{ white-wine, red-wine \}
$P:\{$ beef $\leftarrow$ white-wine $\}$
$\Phi:\{$ red-wine $>$ white-wine $\leftarrow$ beef $\}$


## Naive Translation

$\Phi:\{$ red-wine $>$ white-wine $\leftarrow$ beef white-wine $>$ red-wine $\leftarrow$ fish \}
white-wine' $\leftarrow$ white-wine, not $X$
X $\leftarrow$ red-wine', beef'
red-wine' $\leftarrow$ red-wine
beef' $\leftarrow$ beef
red-wine' $\leftarrow$ red-wine, not $Y$
$\mathrm{Y} \leftarrow$ white-wine', fish'
white-wine' $\leftarrow$ white-wine
fish' $\leftarrow$ fish

results in a non-stratified program

